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Patterning
and Algebra
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## Activity 1 Assessment

Describing and Extending Patterns


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| Number Pattern Relationships |  |  |
| :---: | :---: | :---: |
| Recognizes pattern relationships in repeating, increasing, and decreasing patterns. <br> Term 1 <br> Term 2 <br> Term 3 <br> Term 4 <br> "I see a relationship that shows skip-counting backward by 3 . The rule is: Start with 20 tiles and take away 3 tiles each time." | Identifies and describes linear and non-linear patterns in tables, charts, and graphs. <br> "The graph shows a non-linear increasing pattern. The points do not lie on a straight line, and a different number is added to the term value each time." | Creates and translates repeating, increasing, and decreasing patterns using various representations. <br> "Each of these representations shows a linear pattern that follows the pattern rule: Start at 20 and subtract 3 each time." |
| Observations/Documentation |  |  |
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## Activity 1 Assessment

Describing and Extending Patterns

| Number Pattern Relationships (con't) |  |  |
| :---: | :---: | :---: |
| Creates and translates repeating, increasing, and decreasing patterns and describes them using algebraic expressions and equations. <br> "I created this increasing pattern. An expression for the term values is: $3 n+2$, when $n$ is the term number. An equation for this pattern is: $v=3 n+$ 2 , where $v$ is the term value." | Describes patterns to show relationships among whole numbers and decimals with tenths, hundredths, and thousandths. $\begin{aligned} & 3.004-0.004=3.000 \\ & 3.004-0.003=3.001 \\ & 3.004-0.002=3.002 \\ & 3.004-0.001=3.003 \\ & 3.004-0.000=3.004 \end{aligned}$ <br> "As the number that is subtracted decreases by 0.001 , the difference increases by 0.001 ." | Fluently identifies and describes linear and nonlinear patterns and justifies choice of representation to show pattern relationships. <br> Students raised \$180 to buy 8 games that cost $\$ 26$ each. Do they have enough money? <br> "This is a linear pattern where $\$ 26$ dollars is added each time. I used the equation $c=26 n$ to determine the cost of n games in dollars, where $\mathrm{n}=$ $8: \mathrm{c}=26 \times 8$, which is $\$ 208$. There is not enough money to buy games for 8 classes. Only 6 classes can have a game." |
| Observations/Documentation |  |  |
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