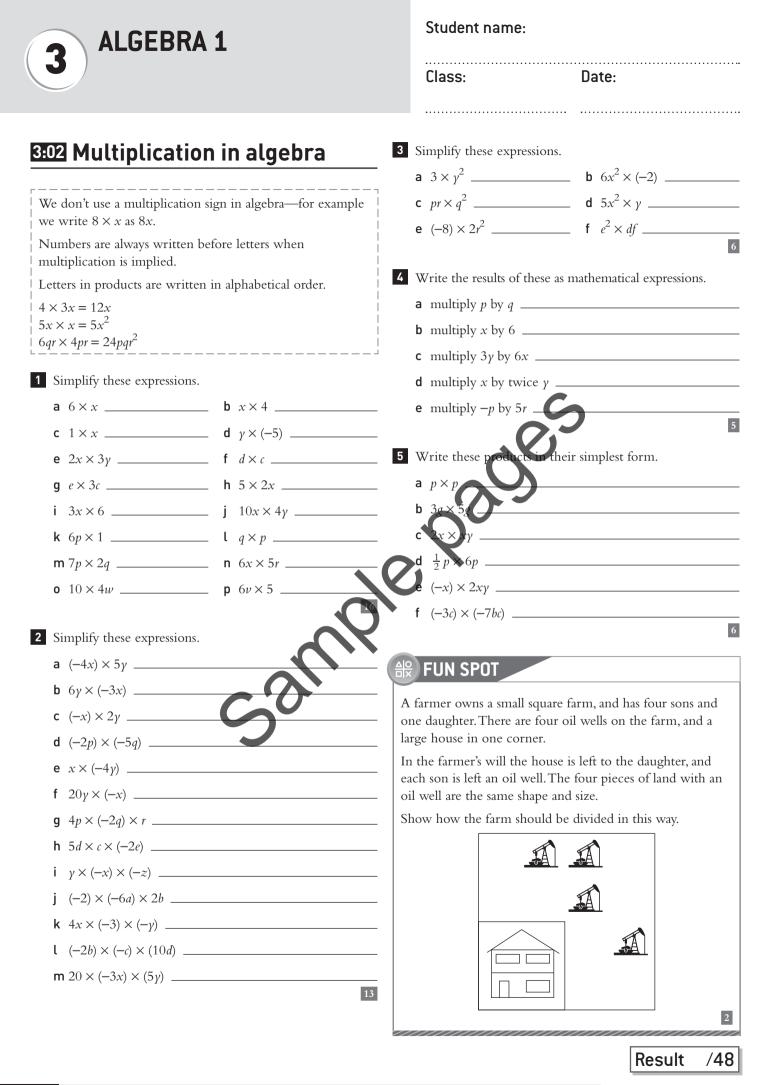
Student name: **ALGEBRA 1** ..... Class: Date: ..... 3:01 Addition and subtraction 4 Simplify these expressions by adding/subtracting like terms. Two cannot be simplified further-for these write in algebra 'does not simplify'. **a** 5x + 7x - 2 \_\_\_\_\_ **b** 3x + 8y - x - 4y \_\_\_\_\_ Like terms in algebra have exactly the same pronumerals, or combinations of pronumerals. They only differ in the **c** 3x + 2 \_\_\_\_\_ number(s) in front of them. Like terms can be simplified when adding or subtracting. **d** 4x + x - 5x5x + 2x = 7x**e**  $x^2 - 4x - 4$  \_\_\_\_\_  $14x^2 - x^2 = 13x^2$ (3x + 4y + 5) + (8x - y - 7) = 11x + 3y - 2f 4x - 1 + 8x - 66 (*Note:* 11x + 3y - 2 cannot be simplified further—all the terms are unlike.) **5 a** What name is given to this kind r - 3of quadrilateral? 1 Simplify these expressions. r - 3**a** 9x + 2x \_\_\_\_\_ **b** Write at sion (in its simplest form) for its perime **b** 6*p* – *p* \_\_\_\_\_ **c** 3c + 4c - 2c \_\_\_\_\_ 2 **d** 4mn – 5mn \_\_\_\_ te an expression for the perimeter of each of these 4 hapes. 2 Here are six pairs of expressions. There are three pa а 3xlike terms and three pairs of unlike terms. 5x, 23pq, 2pq 6x, -4x $3x^2, 3x^5$  $ab^2$ ,  $a^2b$ 2x2x $-2x_{1}$ Sort them into the correct columns in t tab Like terms 3xb 5x5x5x5x6 d **3** Here are three different expressions, and the result when someone has attempted to simplify them. **a**  $6x^3 - 2x^2 = 4x$ 12 **b** 21pq - 17pq = 44 **c** 15x - 7x = 8x7 My friend took 5x books and 2y magazines on holiday. Which of A, B or C is true for **a**, **b**, **c**? I took 3x books and y magazines. Write an expression A: The answer is correct. (in its simplest possible form) for the number of books and magazines we took altogether. B: It is not possible to simplify this expression. C: This expression can be simplified, but the answer is wrong. 1 3

Result

/26



ALGEBRA 2	Student name:			
3	Class: Date:			
3:03 Division in algebra	4 Reduce these fractions to their lowest terms.			
When representing a division in algebra we write the expression as a fraction.	<b>a</b> $\frac{4y}{8}$ <b>b</b> $\frac{12p}{18}$			
<b>Example:</b> $2x$ divided by 3 is written as $\frac{2x}{3}$ .	$c \frac{6m}{8m}$			
Algebraic fractions can be simplified by dividing the top and bottom by common factors.	$d \frac{16pq}{12pq} $			
$\frac{4x}{12x} = \frac{1}{3} \qquad \qquad \frac{10x}{15xy} = \frac{2}{3y}$	5 Simplify these algebraic fractions. 3x			
<ul> <li>Write these expressions in fraction form.</li> <li>a 6x ÷ y</li> </ul>	a $\frac{3x}{13x}$ b $\frac{20x}{20x}$			
<b>b</b> 3 ÷ x	c $\frac{15pq}{40q}$			
<b>c</b> <i>x</i> ÷ 4	d Sph Lov			
d $x \div 4y$	<sup>4</sup> Shaplify these divisions.			
e 4x÷55	<b>a</b> $36y \div 18$ <b>b</b> $4x^2 \div 2$			
<ul><li>2 Write the results of these as mathematical expressions.</li><li>a <i>x</i> divided by <i>y</i></li></ul>	<b>c</b> 6 ÷ 30g			
<b>b</b> 4 <i>p</i> divided by 5 <i>q</i>	<b>d</b> 48 <i>pq</i> ÷ 20 <i>qr</i>			
<b>c</b> 1 divided by $2y$	<ul><li><b>7</b> Simplify these algebraic fractions to their lowest terms.</li></ul>			
<b>d</b> <i>x</i> divided by 12	a $\frac{8p}{-4}$			
<b>e</b> $6x^2$ divided by $5y$ 5	<b>b</b> $\frac{-16q}{12}$			
<ul> <li>Write these quotients in fraction form.</li> <li>a p÷-3</li></ul>	c $\frac{-30\gamma}{-12}$ d $\frac{15x}{-12}$			
<b>b</b> $(-4) \div x$	e $\frac{-5x}{-40}$			
<b>c</b> $(-3) \div (-5\gamma)$	f $\frac{18f}{-63}$			
<b>d</b> $(-1) \div 4\gamma^2$ 4	Result /32			
<u>•</u>				

**ALGEBRA 2** 

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## 3:04A Simplifying algebraic fractions: Addition and subtraction

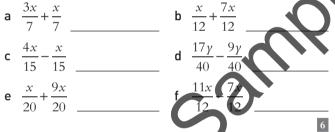
To add algebraic fractions use the same method as adding numerical fractions.

$$\frac{x}{12} + \frac{5x}{12} = \frac{x+5x}{12}$$
$$= \frac{6x}{12}$$
$$= \frac{x}{2} \text{ (simplifying)}$$

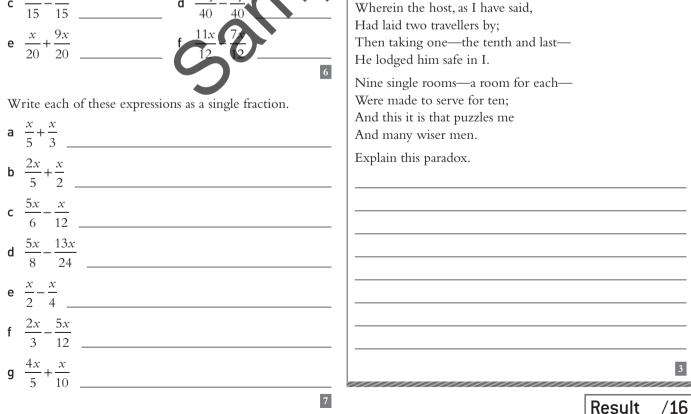
Write fractions with a common denominator before adding or subtracting.

$$\frac{x}{4} - \frac{x}{6} = \frac{3x}{12} - \frac{2x}{12} = \frac{3x - 2x}{12} = \frac{x}{12}$$

1 Add or subtract these fractions. Simplify your answer if possible.



2 Write each of these expressions as a single fraction.



### Student name:

..... Class:

FUN SPOT

All in a woeful plight,

'Have I to offer you.

Ten weary, footsore travellers,

Sought shelter at a wayside inn

'Nine rooms, no more,' the landlord said

One dark and stormy night.

To each of eight a single bed, But the ninth must serve for two.' A din arose. The troubled host

Could only scratch his head, For of those tired men no t

Would occupy one bed.

This most ingenious plan.

The third was lodged in B,

In E the sixth he tucked away,

The fifth retired to D.

In F the seventh man,

And then to A he ran.

The puzzled host was soon at ease-

He was a clever man And so to please his guests devised

The fourth to C was then assigned,

The eighth and ninth in G and H,

In room marked A two men were placed,

Date:

THE INNKEEPER'S

CONUNDRUM

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**ALGEBRA 3** 

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Student name:

Class: Date:

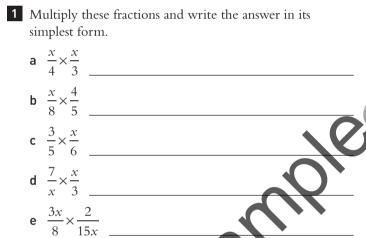


Multiply algebraic fractions by multiplying the numerators and multiplying the denominators. Simplify your answer if possible.

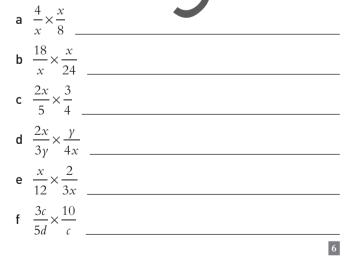
$$\frac{x}{15} \times \frac{5}{3x} = \frac{5x}{45x} = \frac{1}{9}$$

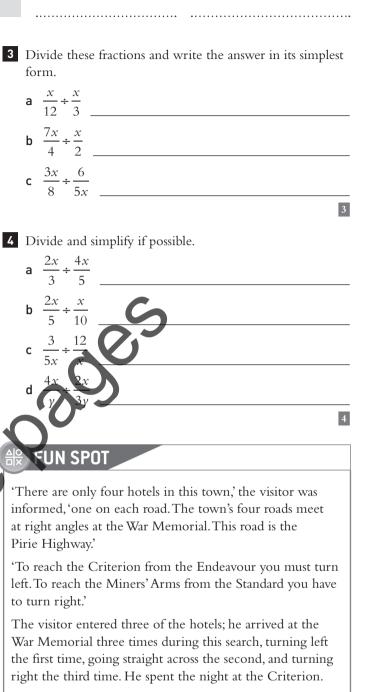
Divide fractions by multiplying the first fraction by the *reciprocal* of the second fraction.

<u>4p</u> .	<u>3p</u>	$\frac{4p}{2}$	<u>5</u>	<u>20 p</u>	4
15q .	5	15q´	`3 <i>p</i>	45 <i>pq</i>	9q



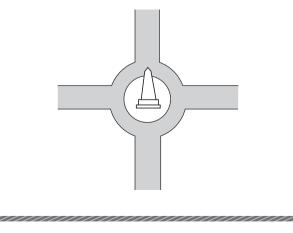
2 Multiply and write the answer in its simplest form.





Which hotel stands on Pirie Highway?

5



Result /20

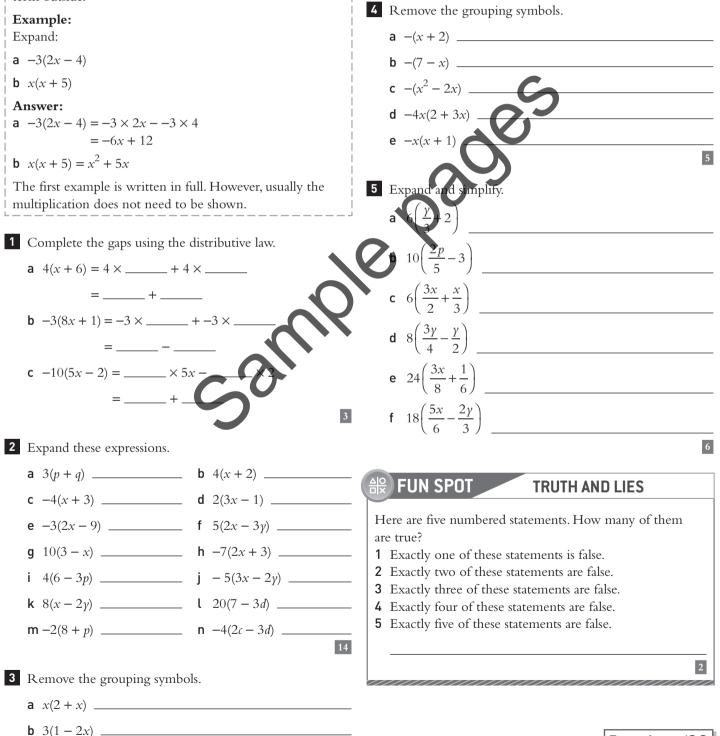
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## 3:05 Grouping symbols

Grouping symbols indicate that the expression inside should be evaluated first. However, often in algebra we need to write an expression without grouping symbols. The process of 'expanding' an expression or removing grouping symbols is called the **distributive law**.

Each term in the grouping symbols is multiplied by the term outside.



Student name:

**c** x(3x+4)

Class:

.....

**d** 3x(2x+7) \_\_\_\_\_

f x(2-x) \_\_\_\_\_

**g** 2p(3p+q) \_\_\_\_\_

8

Result

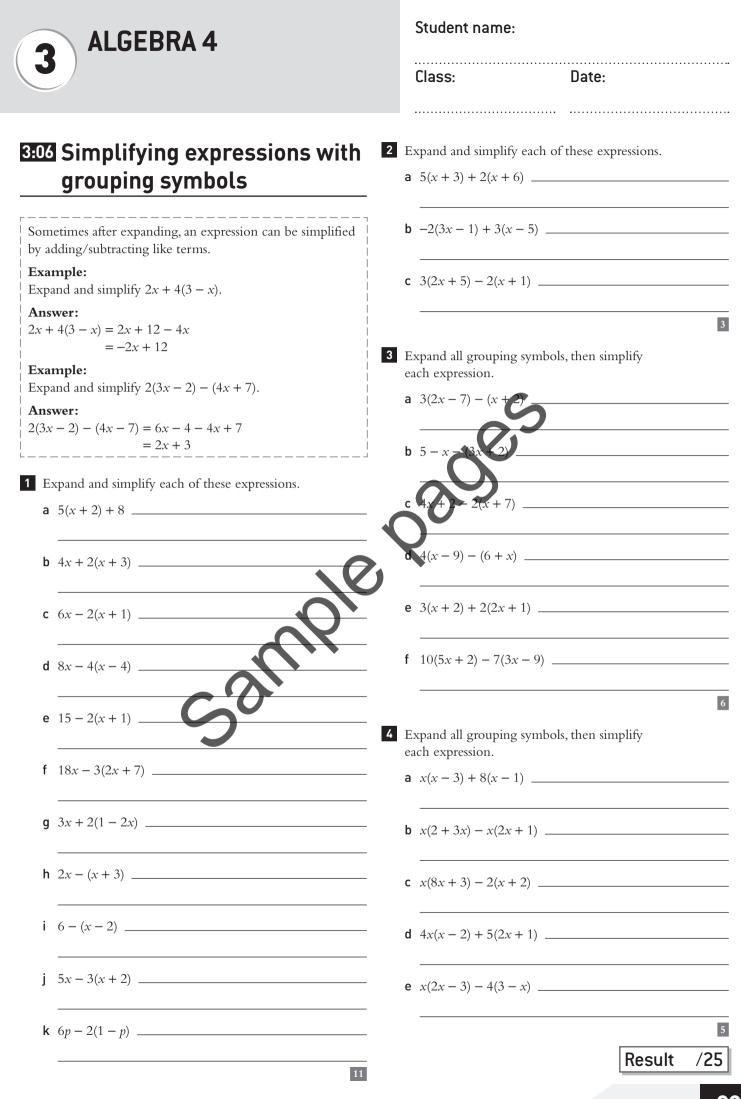
/38

**e** x(2x-9)

**h** 6m(3n-5m) \_\_\_\_\_

Date:

#### **28** Australian Signpost Mathematics New South Wales 9 Stages 5.1–5.2 Homework Program





# **3:07** Factorising using common factors

The process of factorising is the opposite of expanding. When factorising an expression, we seek to write it as a	<b>b</b> 16mn + 4m	
product using grouping symbols. We look for a common factor first.	<b>c</b> <i>abc</i> – <i>ac</i>	
Example:		
7x + 7y = 7(x + y)	<b>d</b> $6x^2 + 4xy$	
The common factor is 7. We write 7 outside brackets.	7	
The common factor can be a number only, as shown in the above example, or a pronumeral such as <i>x</i> , or a combination of both.	e 18xy - 28y	
Worked examples:		
<b>a</b> $8x + 12 = 4 \times 2x + 4 \times 3$ = 4(2x + 3)	f 6abd + 3ac	
<b>b</b> $3x + x^2 = 3 \times x + x \times x$ = $x(3 + x)$	3 Factorise by taking out the negative common	6 1 factor.
<b>c</b> $12x^2 + 6x = 6x(2x + 1)$		
Note: Always factorise as far as possible, so take out the	<b>b</b> -2) - 10	
highest common factor (HCF). In the above example when	-6x - 4y	
factorising $8x + 12$ the answer $4(2x + 3)$ is more complete than $2(4x + 6)$ .	d $-x^2 + 8x$	
Factorise the following by taking out the HCE	<b>e</b> $-x^2 - 3x$	5
<b>a</b> 4 <i>a</i> + 4 <i>b</i>	4 Factorise each of the following.	_
<b>b</b> $12x - 12y$	<b>a</b> x <sup>2</sup> + 10x	
<b>c</b> <i>pq</i> + <i>pr</i>	<b>b</b> $x^2 - 20x$	
<b>d</b> 3 <i>a</i> + 6 <i>b</i>	<b>c</b> $5x - x^2$	
<b>e</b> 4 <i>x</i> + 2 <i>y</i>	<b>d</b> $x - 2x^2$	
f 2x + 4	<b>e</b> $xy + 3x^2$	
<b>g</b> 4 <i>x</i> - 16	f $6x^2 - 36x$	
<b>h</b> 6 <i>x</i> + 6	<b>g</b> $4x^2 + 12$	
i 4+8x	<b>h</b> $12x^2 - 8x$	
j 5 <i>x</i> + 20 <i>y</i>	$i 6x^2 + 2x$	
<b>k</b> 12 <i>x</i> + 6	j $4 + 2x^2$	
l 8 <i>x</i> – 4	<b>k</b> $7x - 3x^2$	
<b>m</b> 3 <i>x</i> + 24	$1 3x^2 + 3y^2$	
<b>n</b> 8 – 12 <i>x</i>	$m 15xy + 20x^2$	
<b>o</b> 10 <i>x</i> <b>-</b> 5		13
15	Res	ult /39

Student name:

Class:

2 Factorise completely.

.....

**a** 2pq + 8p \_\_\_\_\_

Date: